#### Poster Session: WED-AM-045

## BIOMECHANICS-GUIDED FACIAL ACTION UNIT DETECTION THROUGH FORCE MODELING

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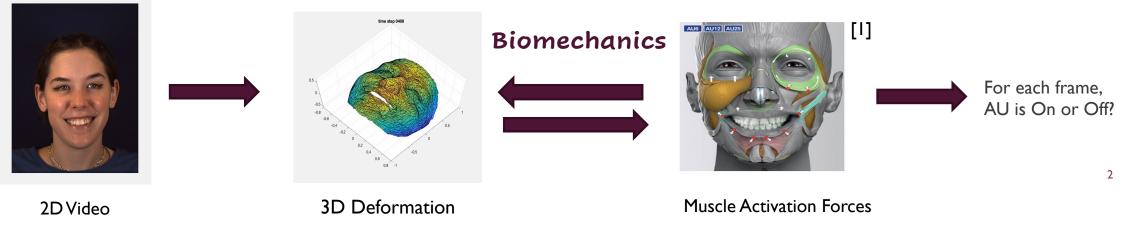




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## PREVIEW

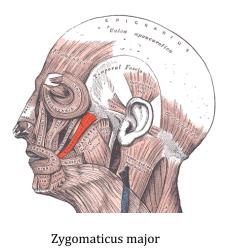
- Action Unit (AU) detection is to detect if the corresponding facial muscle is activated or not given 2D observations
- Biomechanics studies the dynamics of 3D geometric deformation caused by facial muscle contractions
- Leverage the facial biomechanics for AU detection given observable 2D videos

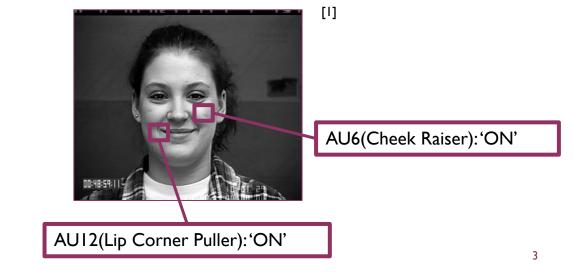


[1] https://anatomy4sculptors.com/blogs/articles/expressions?utm\_source=pinterest&utm\_medium=social

## ACTION UNIT (AU) DETECTION

- Action Unit (AU) detection:
  - AU describes a local facial muscle activation. For example, AU12 (lip corner puller) is corresponding to the muscle zygomatic major
  - AU detection is to detect if the corresponding muscle is activated or not from 2D observations





## **EXISTING AU MODELS**

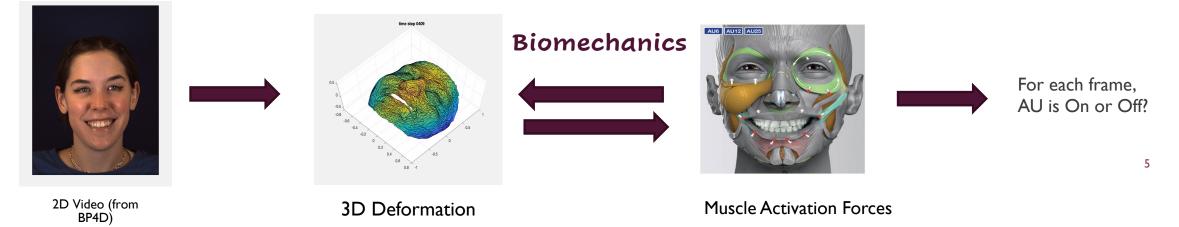
• Existing deep models for AU detection are mainly data-driven:



- They reply on sufficient annotated training data to perform well
- They may not generalize well to unseen subjects

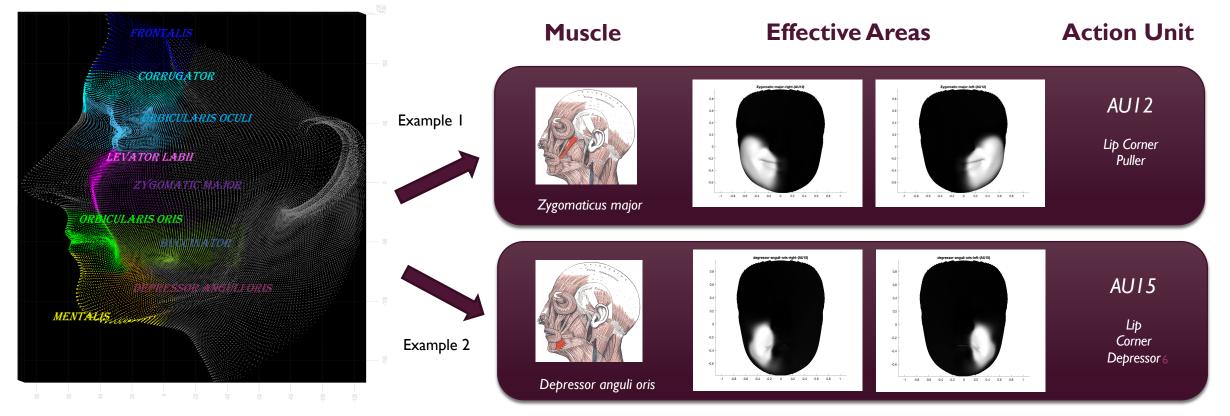
## **BIOMECHANICS-GUIDED AU DETECTION**

- Leverage the facial biomechanics for AU detection given observable 2D videos
- Biomechanics studies the dynamics of 3D geometric deformation caused by facial muscle contractions
- Biomechanics-guided AU detection through facial muscle activation force modeling
  - Step 1: Estimate physically plausible muscle activation forces using an Encoder-Decoder Network
  - Step 2: Perform AU detection with estimated muscle activation forces

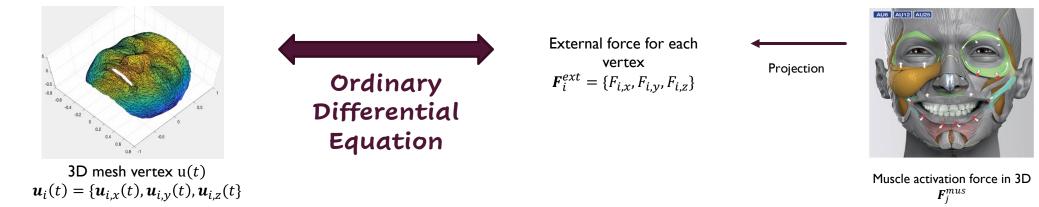


### FACIAL MUSCLE ACTIVATION FORCE

- For each muscle, a subset of vertices are displaced as the muscle contracts
- We identify 9 major muscles and define their effective areas on the mesh



#### BIOMECHANICS REPRESENTATION -- ORDINARY DIFFERENTIAL EQUATION



To reduce the dimension, a generalized coordinate defined by blendshape basis is considered

$$\boldsymbol{u} = c_1 B_1 + c_2 B_2 + \dots + c_K B_K$$

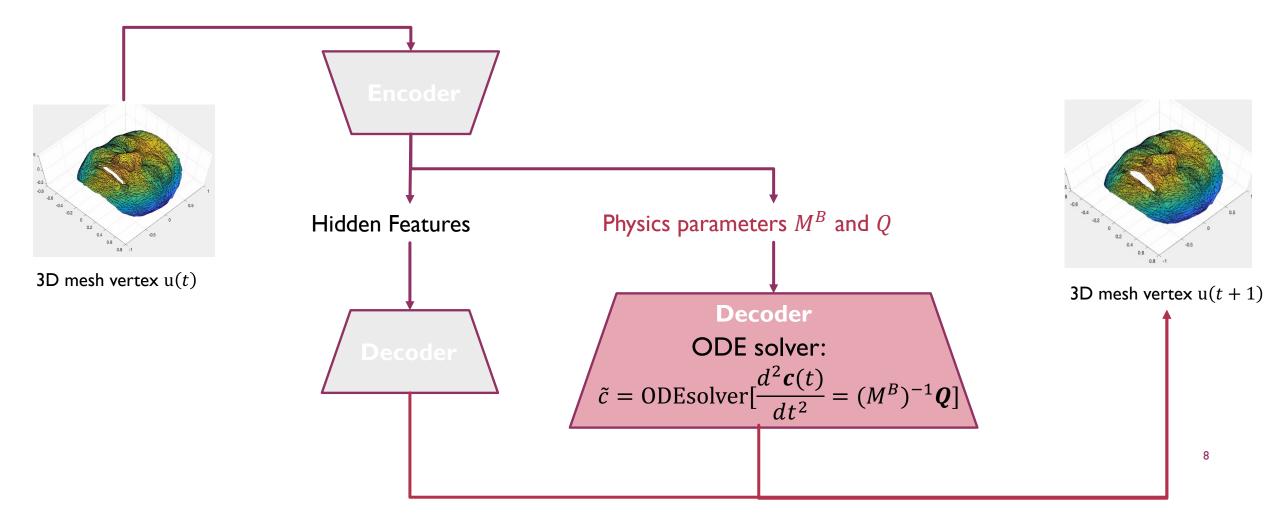
- Blendshape basis  $B = \{B_k\}$  with  $B_k \in \mathbb{R}^{N \times 3}$  being k-th blendshape is known
- Linear coefficients  $c = \{c_k\}$  are corresponding to a mesh u
- With the generalized coordinate, we only need to deal with  $\mathbf{c} \in \mathbb{R}^{K \times 1}$ . *K* is the dimension of the blendshape basis

Applying Euler-Lagrangian equation, we derive the dynamic law in the generalized coordinate:

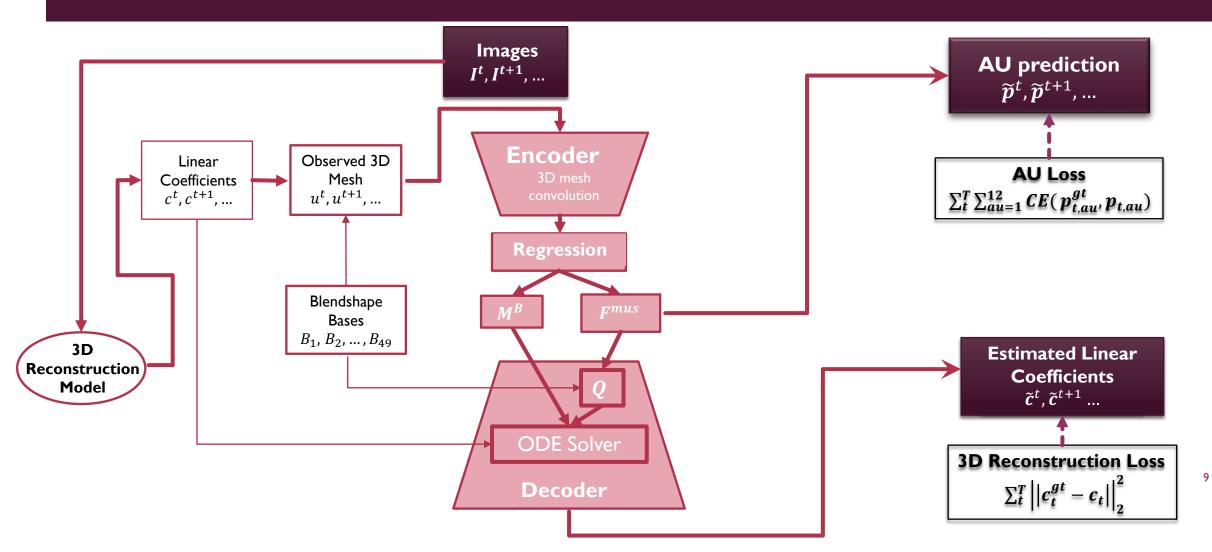
$$M^{B} \frac{d^{2} \boldsymbol{c}(t)}{dt^{2}} + \frac{dM^{B}}{dt} \dot{\boldsymbol{c}} - \frac{1}{2} \dot{\boldsymbol{c}}^{T} (\frac{\partial M^{B}}{\partial \boldsymbol{c}})^{T} \dot{\boldsymbol{c}} = Q$$
$$\Rightarrow M^{B} \frac{d^{2} \boldsymbol{c}(t)}{dt^{2}} = Q$$

- $M^B \in \mathbb{R}^{K \times K}$  is the generalized mass, and can be analytically computed with M and B
- $Q \in R^{K \times 1}$  is the generalized force, and can be analytically computed with  $F^{ext}$  and B

#### FACIAL BIOMECHANICS INTEGRATION -- CUSTOMIZE THE ARCHITECTURE OF ENCODER-DECODER NETWORK



## MODEL ARCHITECTURE



#### EXPERIMENTAL RESULTS -- DATA EFFICIENCY EVALUATION

 We compare a baseline AU model trained with AU loss only and a baseline AU model trained with both AU loss and 3D reconstruction loss

Training Settings (BP4D)	AU Predictio	AU Prediction (FI-score)	
	AU loss	AU loss + 3D reconstruction loss	
100% Training Data	.51	.47	
50% Training Data	.39	.46	
20% Training Data	.35	.44	
5% Training Data	.28	.33	

- Using AU annotations only can't perform well on reduced training set
- Leveraging physics-based 3D reconstruction, AU detection performance significantly outperforms the one with AU loss only

# THANKYOU! Poster

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