

# Weakly-supervised Single-view Image Relighting

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# Quick Overview



A single image



AR effect of object insertion into new scenes



# Quick Overview

- Inverse rendering + re-rendering



# Challenges

- Inverse rendering from a single image is highly ill-posed
- Training data to solve inverse rendering or relighting is shorted
- Differentiable specular rendering layer based on parametric lighting models is shorted



# Relit Dataset

Capture object under  
different lighting



Electric turntable



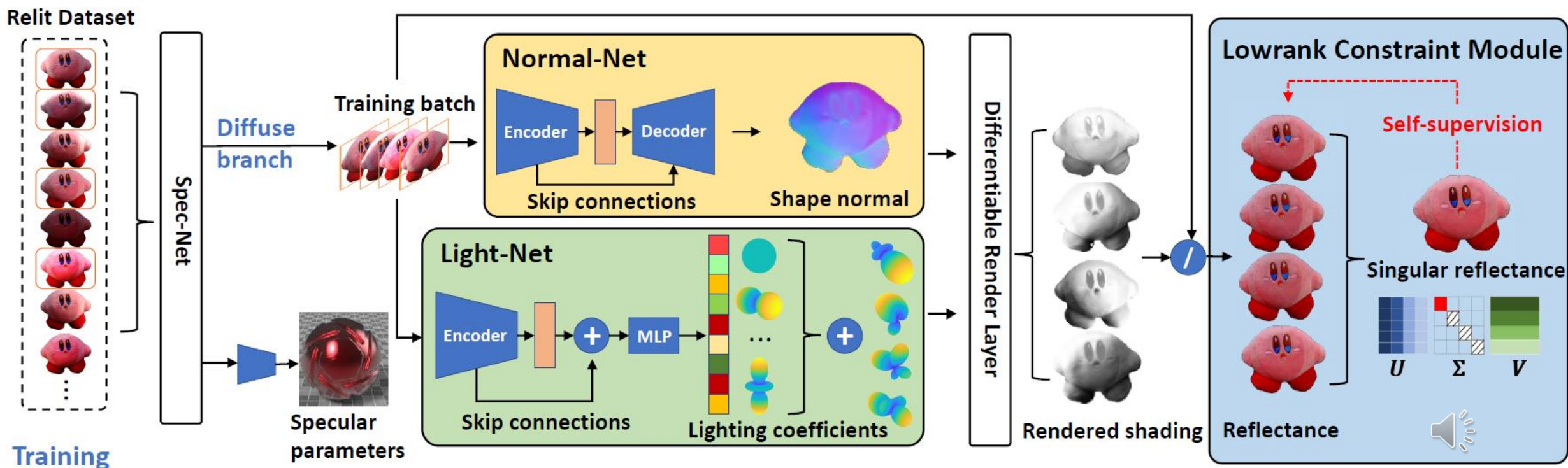
# Relit Dataset

- 500 videos, 750K images



# Weakly-supervised Inverse Rendering

- End-to-end self-supervised training



# Loss definition and proofs

- Low rank loss:

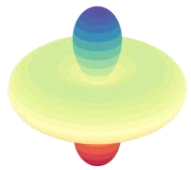
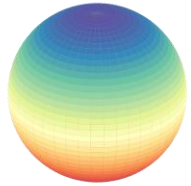
$$f(R) = \|\bar{R} - R\|_F^2$$

- Theorem 1.  $\bar{R}$  is the rank-one approximation of  $R$ .  $\bar{R}$  is computed by:  $R = U\Sigma V^T$  (SVD),  $\Sigma = \text{diag}(\sigma_1, \sigma_2, \sigma_3, \dots)$ ,  $\Sigma' = \text{diag}(\sigma_1, 0, 0, \dots)$ ,  $\bar{R} = U\Sigma'V^T$ .
- Theorem 2. Convergence of  $f(R)$ .





# Differentiable Non-Lambertian Rendering



$$\hat{Y}_{0,0}(\theta, \phi) = Y_{0,0}(2\theta, \phi) = c_0$$

$$\hat{Y}_{1,1}(\theta, \phi) = Y_{1,1}(2\theta, \phi) = c_1 \sin 2\theta \cos \phi = 2c_1 xz$$

$$\hat{Y}_{1,-1}(\theta, \phi) = Y_{1,-1}(2\theta, \phi) = c_1 \sin 2\theta \sin \phi = 2c_1 yz$$

$$\hat{Y}_{1,0}(\theta, \phi) = Y_{1,0}(2\theta, \phi) = c_1 \cos 2\theta = c_1(2z^2 - 1)$$

$$\hat{Y}_{2,-2}(\theta, \phi) = Y_{2,-2}(2\theta, \phi) = 4c_2 xyz^2$$

$$\hat{Y}_{2,1}(\theta, \phi) = Y_{2,1}(2\theta, \phi) = c_2(4xz^3 - 2xz)$$

$$\hat{Y}_{2,-1}(\theta, \phi) = Y_{2,-1}(2\theta, \phi) = c_2(4yz^3 - 2yz)$$

$$\hat{Y}_{2,0}(\theta, \phi) = Y_{2,0}(2\theta, \phi) = c_3(3(4z^4 - 4z^2 + 1) - 1)$$

$$\hat{Y}_{2,2}(\theta, \phi) = Y_{2,2}(2\theta, \phi) = c_4(4x^2 z^2 - 4y^2 z^2)$$

$$c_0 = 0.282095, c_1 = 0.488603$$

$$c_2 = 1.092548, c_3 = 0.315392, c_5 = 0.546274$$



Spherical Harmonic bases for specular reflections.

# Relighting Demos

Single object  
relighting



Our diffuse relighting



Naïve insertion (w/o relighting)



# Mobile APP Demo

Live Recording



Screen Recording



**Thanks for listening!**

**Please scan the barcode to check  
the project page with more info.**

