

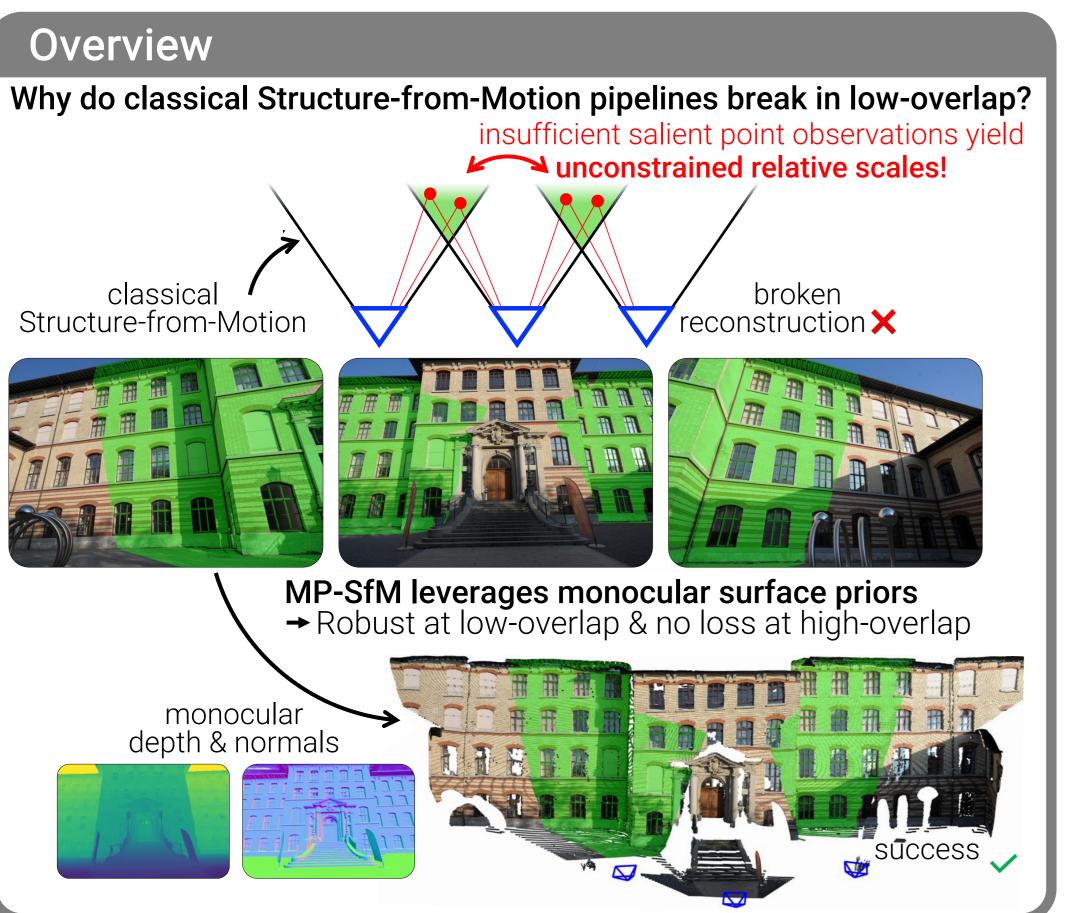
MP-SfM: Monocular Surface Priors for Robust Structure-from-Motion

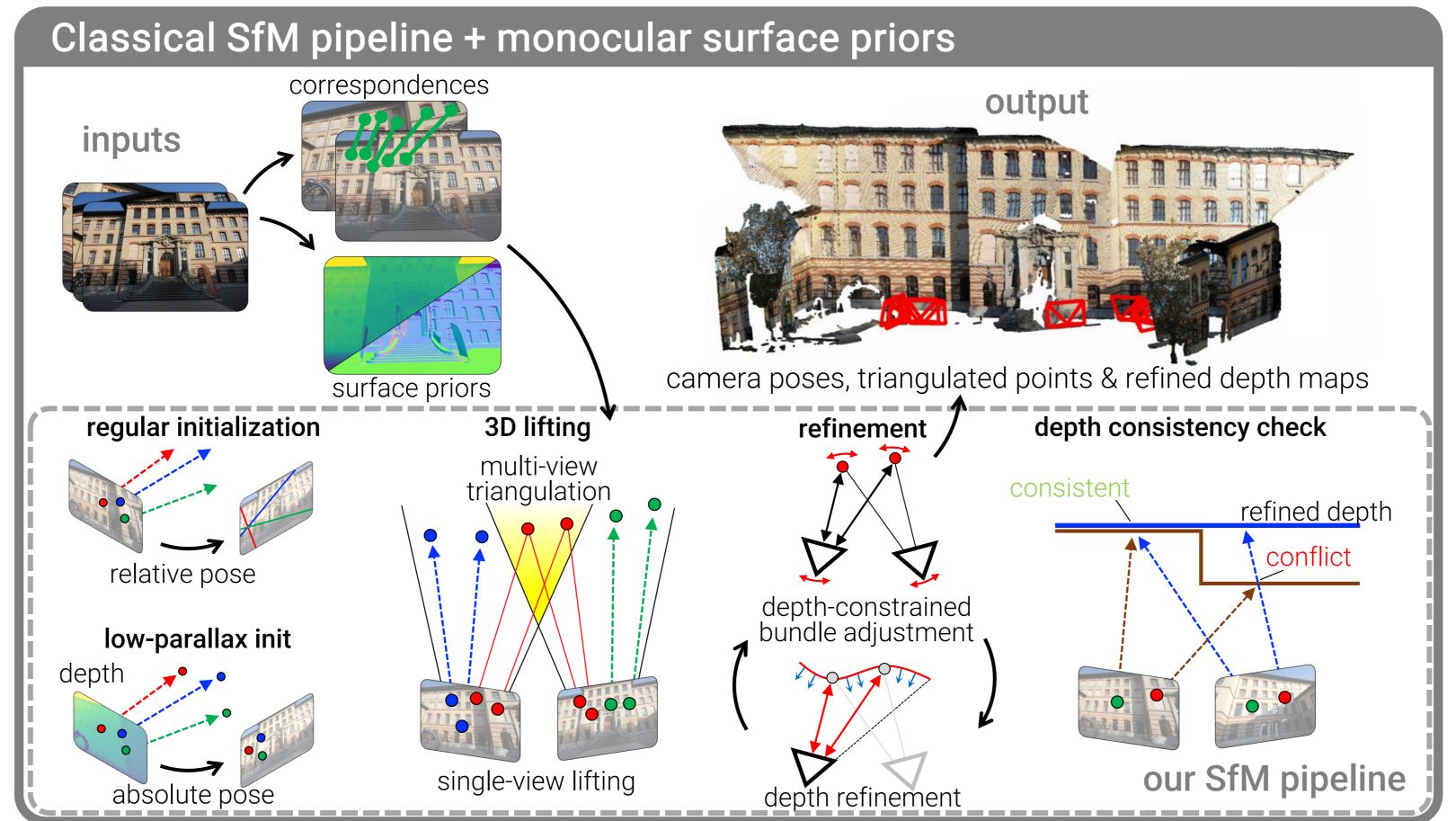
²Google

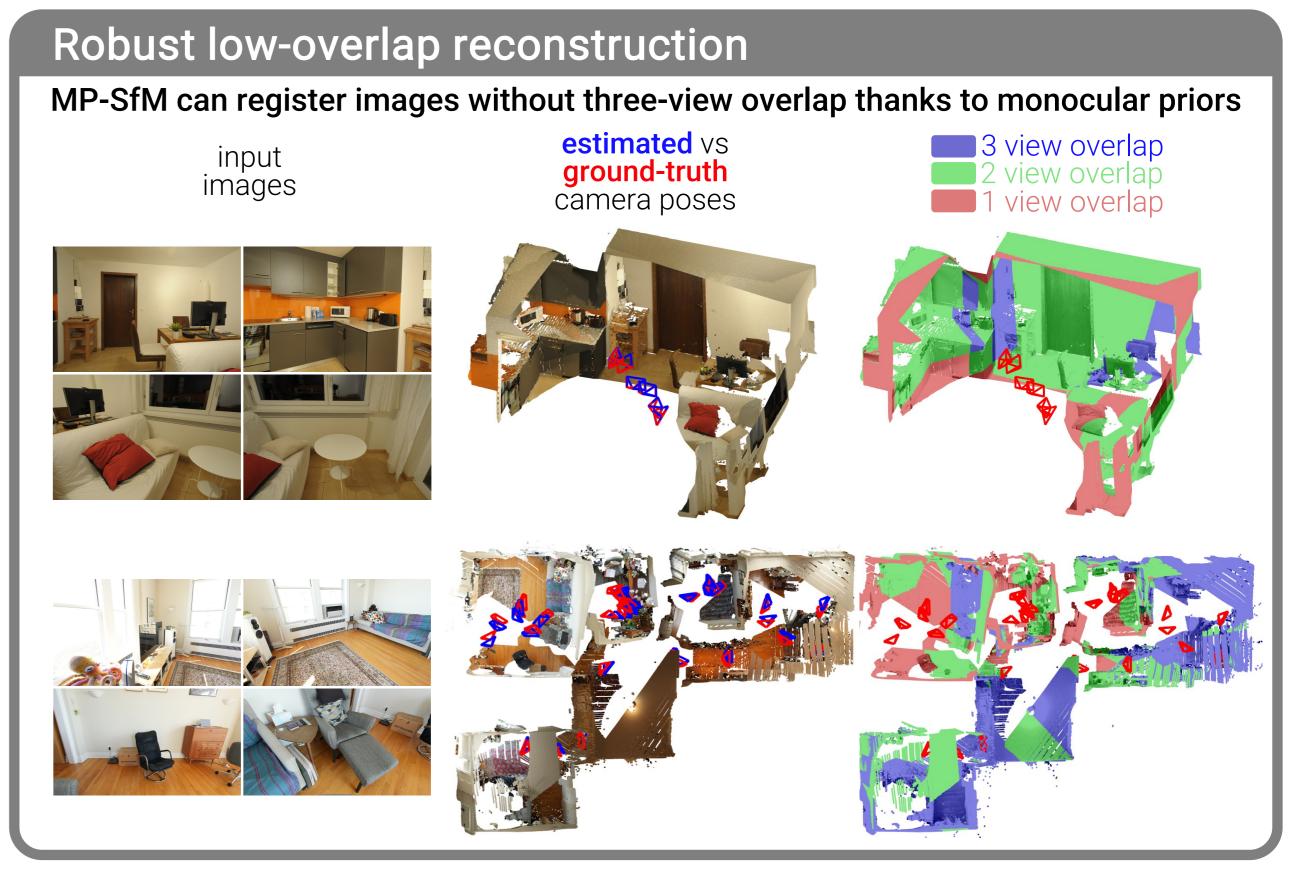
³Microsoft



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BA extended using monocular depth and normal constraints

$$\arg\min_{\mathcal{P}, \mathcal{X}, \mathcal{D}^*} C_{BA} + C_{reg} + C_{int}$$

under constrained points ${\mathcal X}$ regulariazed by refined depth maps ${\mathcal D}^*$

under constrained points
$$X$$
 regulariazed by refined depth maps D

$$C_{reg} = \sum_{i \in \mathcal{R}} \sum_{j,k} \rho_{reg} \left(\|\widehat{D}_i(X_k) - D_i^*(x_j)\|^2 \right) \qquad \text{3D point depth regularization}$$

$$C_{int} = \sum_{i \in \mathcal{R}} \sum_{u,v} \left[\rho_{prior} \left(\|D_i^*(u,v) - D_i(u,v)\|_{\Sigma_{D_i(u,v)}}^2 \right) \qquad \text{depth refinement via normal integration}$$

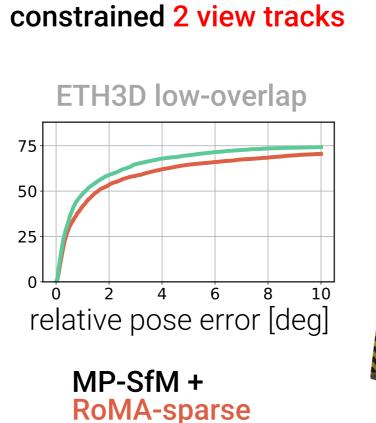
$$+ \rho_{int} \left(\|N_i(u,v) - \Delta D_i^*(u,v)\|_{\Sigma_{N_i(u,v)}}^2 \right) \right]$$

efficient solving $\arg\min_{\mathcal{D}^*} C_{reg} + C_{int}$ $\arg\min_{\mathcal{P},\mathcal{X}} C_{BA} + C_{reg}$

Hessian of BA objective is dense → solve using block coordinate descent

robust depth Normal integration solved using uncertainties and refinement Cao et. al (2022) to preserve discontinuities

Support for dense correspondences In addition to building 3+



RoMA dense

view tracks at salient points

MP-SfM builds depth

